

Semiconductor Lasers

Homojunction semiconductor laser - 1962

Demonstrated by 4 research groups.

- R.N. Hall : GE Schenectady . NY
- M. I. Nathan : IBM
- N. Holonyak : GE Syracuse
- Robert H. Rediker, Lincoln Lab

Heterojunction injection laser - 1963

Proposed by H. Kroemer 1963

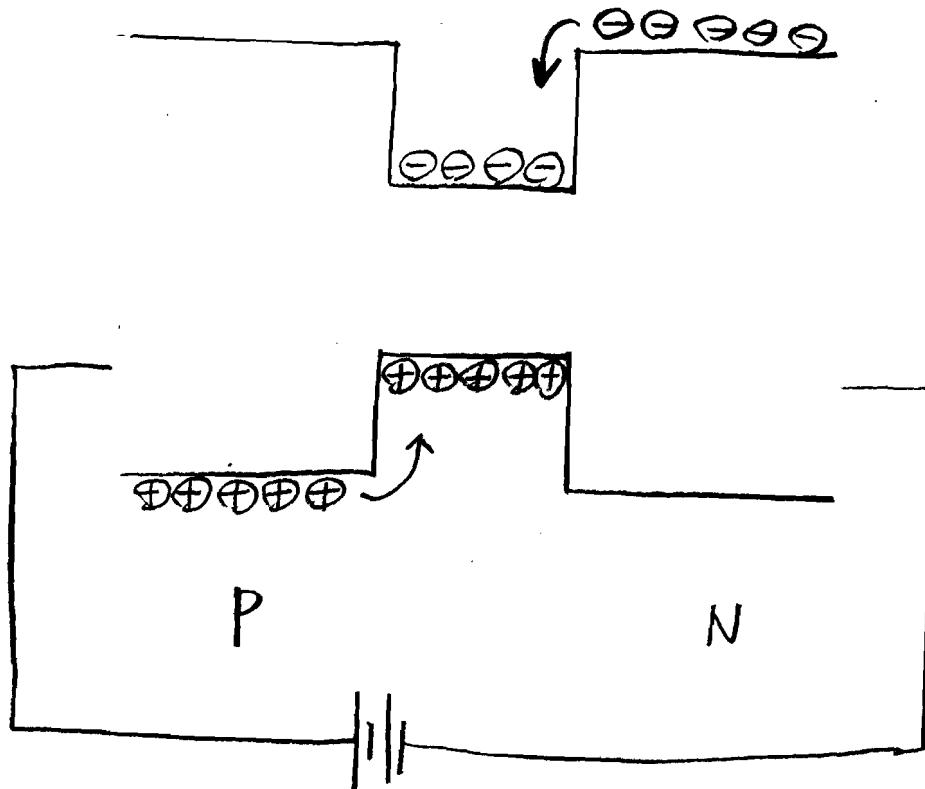
Double Heterostructure laser - 1970

Zh. I. Alferov

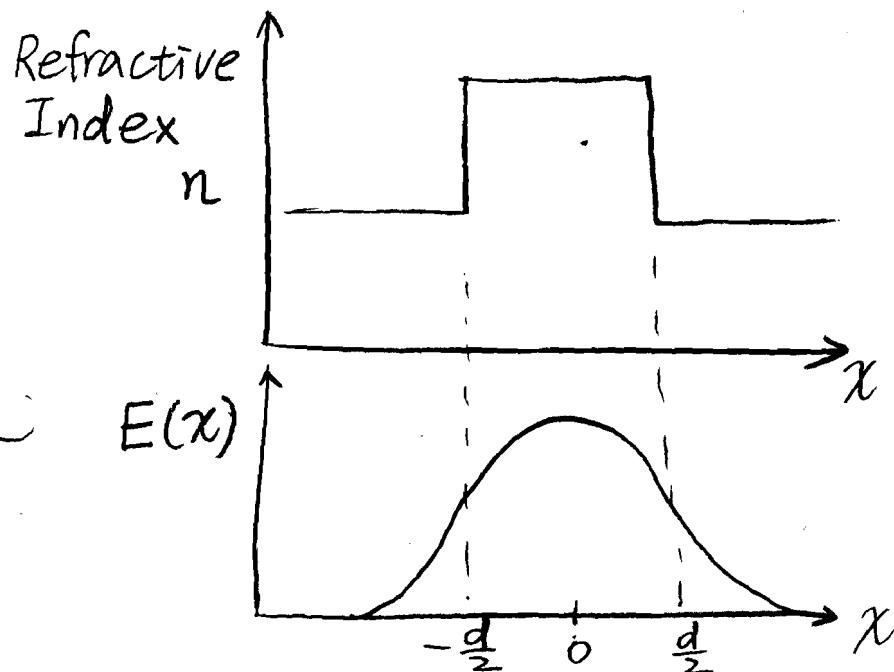
Quantum well lasers - late 1970's

Strained QW lasers - late 1980's

Double Heterostructure (DH)



High concentration of both electrons and holes
in the smaller-bandgap active region
→ Carrier confinement



Small bandgap
→ higher n

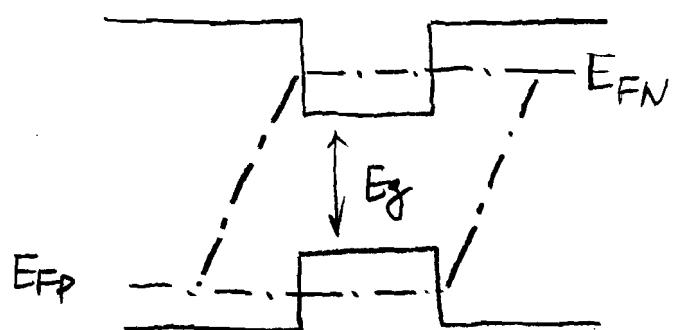
⇒ Optical confinement

Confinement Factor

$$\Gamma = \frac{\int_{-\frac{d}{2}}^{\frac{d}{2}} |E(x)|^2 dx}{\int_{-\infty}^{\infty} |E(x)|^2 dx}$$

DH: Flat band

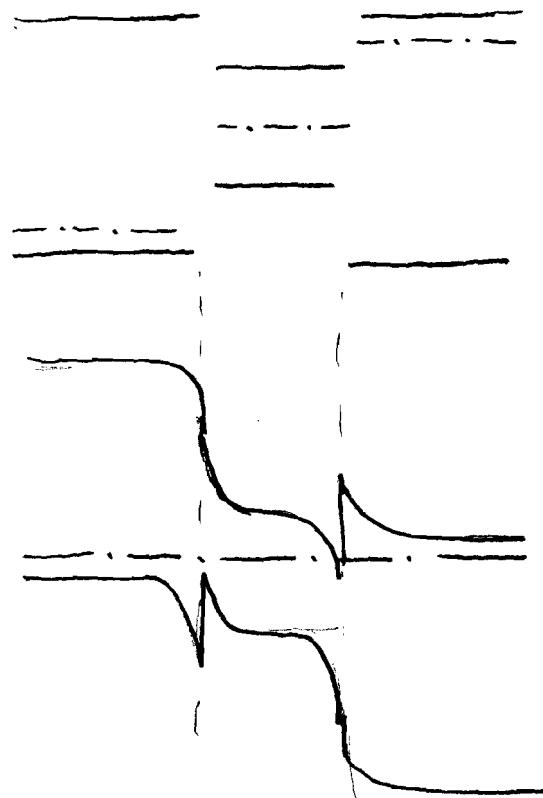
67



Condition for gain
 $\Delta E_F > E_g$

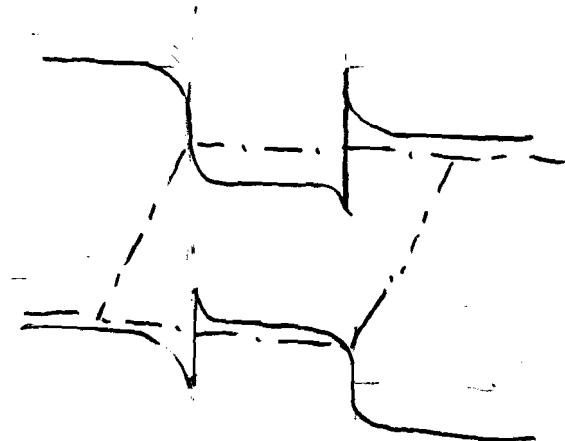
Actual band diagram.

Before contact



$V=0$

Forward Bias





Properties of $\text{Al}_x\text{Ga}_{1-x}\text{As}$

	Unit	GaAs	$\text{Al}_x\text{Ga}_{1-x}\text{As}, 0 < x < 0.45$
Bandgap Energy	eV	1.424	$1.424 + 1.247x$
Electron Effective Mass	m_0	0.067	$0.067 + 0.083x$
Hole Effective Mass	m_0	0.5	$0.5 + 0.29x$
Dielectric Constant	ϵ_0	13.1	$13.1 - 3x$
Conduction Band Discontinuity	%	-	$\Delta E_C \sim 67\% \Delta E_g$
Valence Band Discontinuity	%	-	$\Delta E_V \sim 33\% \Delta E_g$

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Bandgap-vs-Lattice Constant of Common III-V Semiconductors

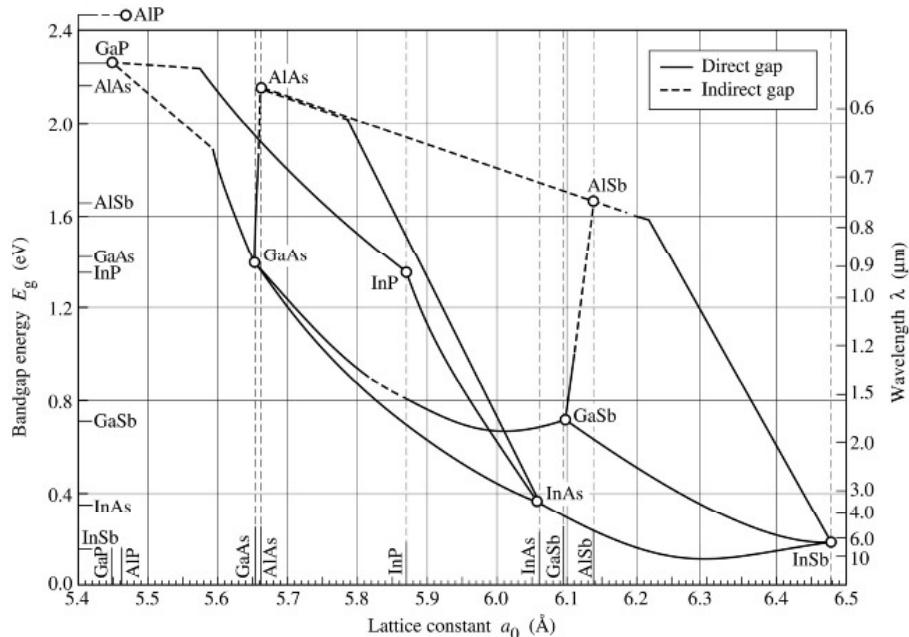


Fig. 7.6. Bandgap energy and lattice constant of various III-V semiconductors at room temperature (adopted from Tien, 1988).

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Bandgap Energy of $\text{Al}_x\text{Ga}_{1-x}\text{As}$

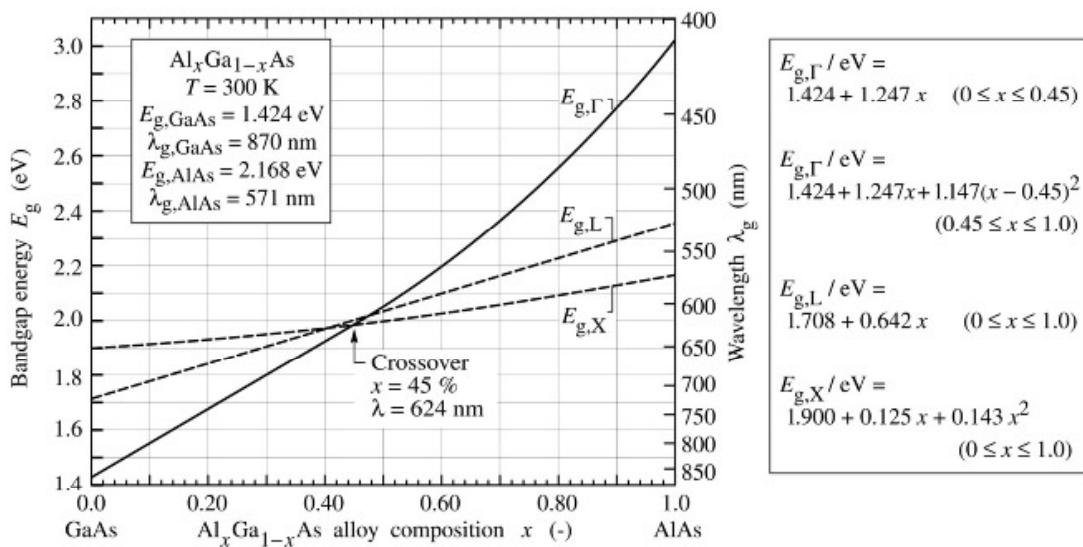


Fig. 7.7. Bandgap energy and emission wavelength of AlGaAs at room temperature. E_{Γ} denotes the direct gap at the Γ point and E_L and E_X denote the indirect gap at the L and X point of the Brillouin zone, respectively (adopted from Casey and Panish, 1978).

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Efficiency Performance for Visible LEDs

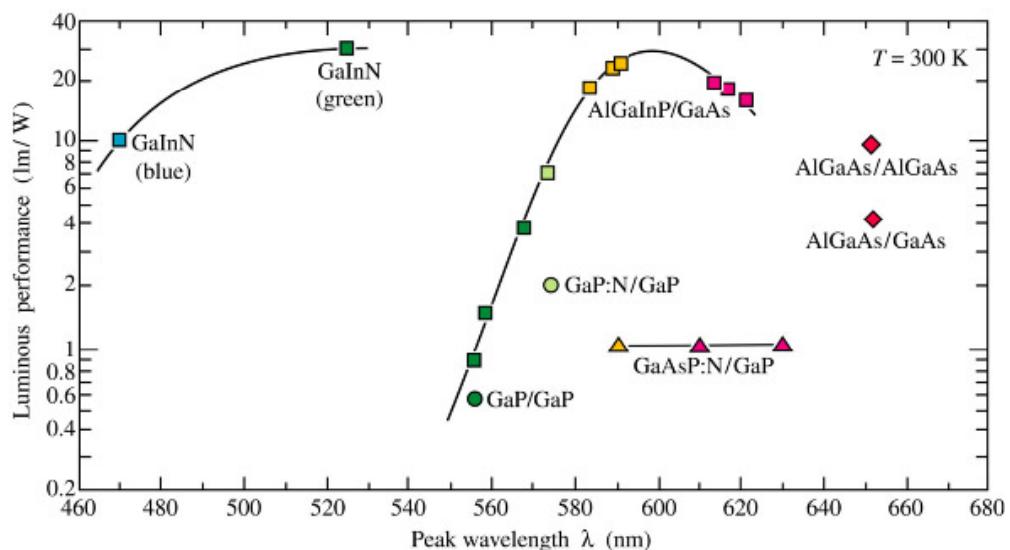


Fig. 7.14. Overview of luminous performance of visible LEDs made from the phosphide, arsenide, and nitride material system (adopted from United Epitaxy Corporation, 1999; updated 2000).

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AlGaInP

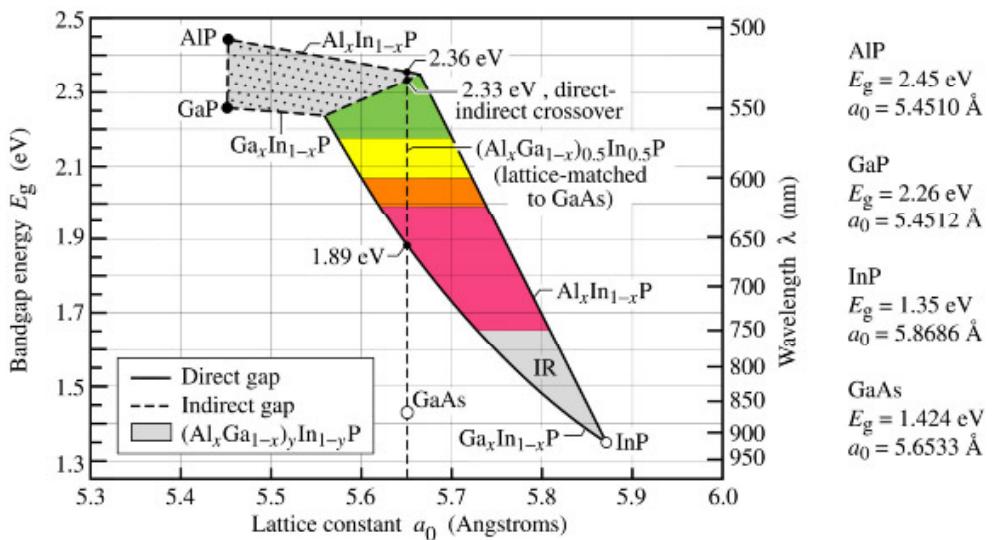


Fig. 7.9. Bandgap energy and corresponding wavelength versus lattice constant of $(\text{Al}_x\text{Ga}_{1-x})_y\text{In}_{1-y}\text{P}$ at 300K. The dashed vertical line shows $(\text{Al}_x\text{Ga}_{1-x})_0.5\text{In}_{0.5}\text{P}$ lattice matched to GaAs (adopted from Chen *et al.* 1997).

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AlN-GaN-InN

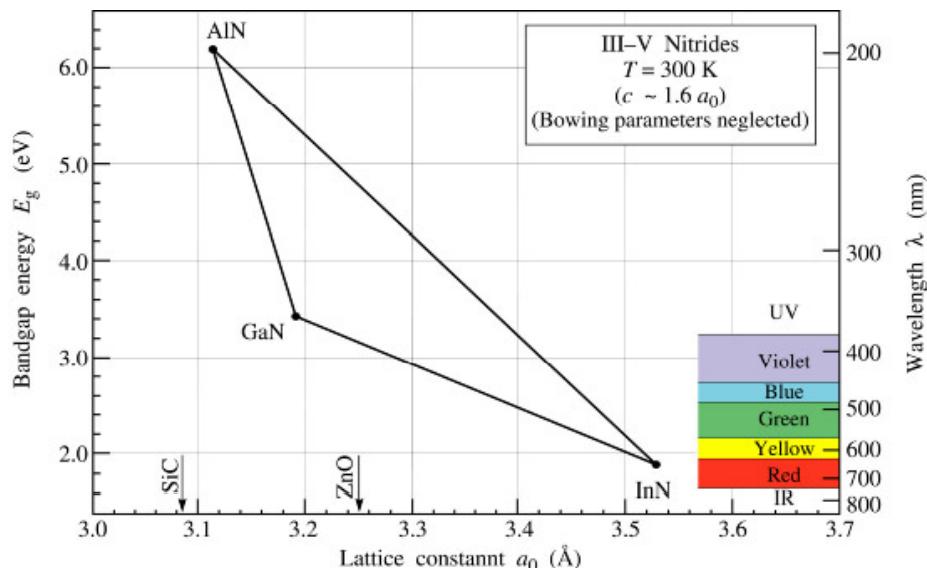
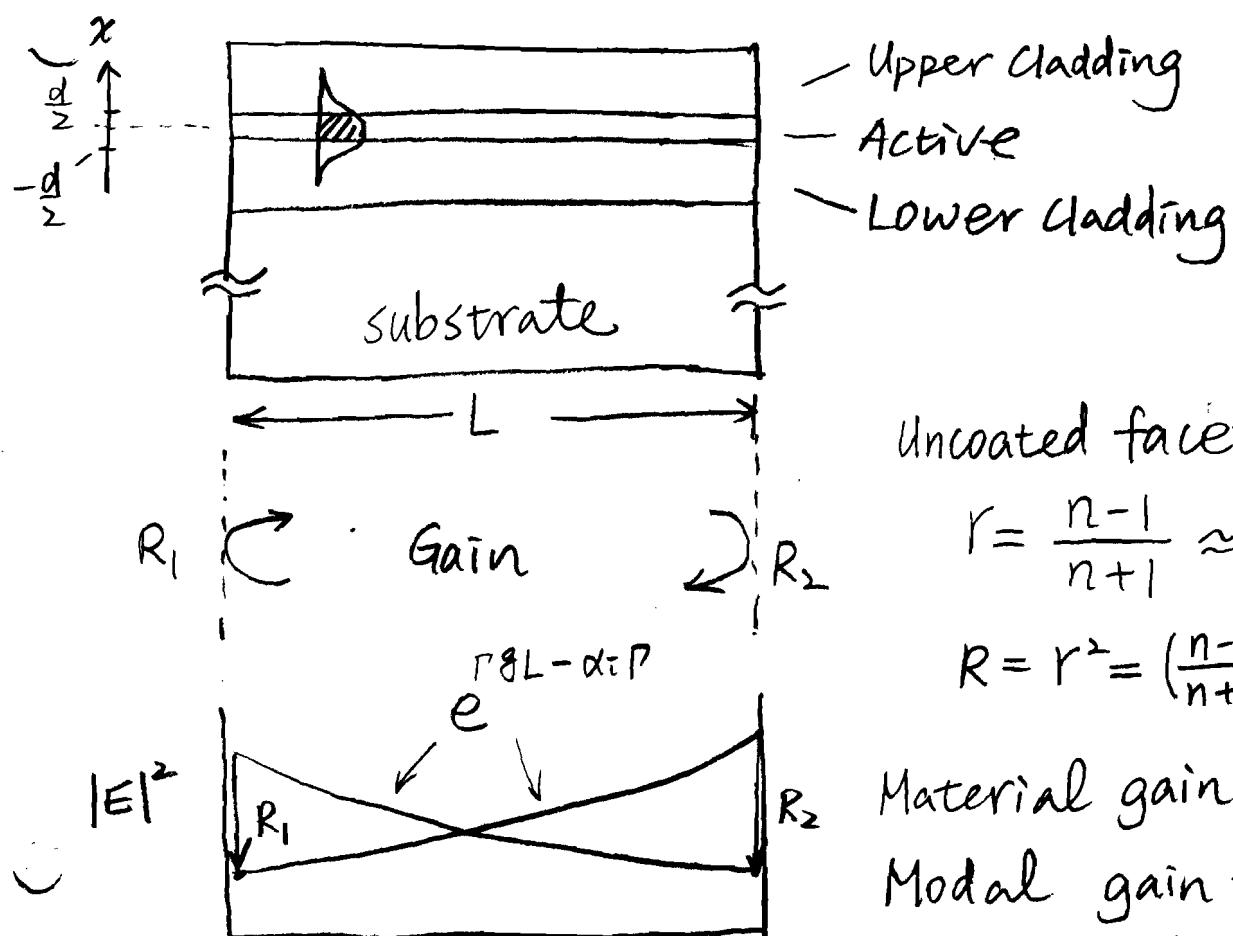


Fig. 7.12. Bandgap energy versus lattice constant of III-V nitride semiconductors at room temperature.

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DH Laser



Uncoated facet

$$\Gamma = \frac{n-1}{n+1} \approx 0.56, \quad n \approx 3.5$$

$$R = \Gamma^2 = \left(\frac{n-1}{n+1} \right)^2 \approx 31\%$$

Material gain = g

Modal gain = Γg

Confinement factor = Γ

$$\Gamma = \frac{\int_{-d/2}^{d/2} |E(x)|^2 dx}{\int_{-\infty}^{\infty} |E(x)|^2 dx}$$

α_i : intrinsic loss

$$e^{(\Gamma g_{th} - \alpha_i)L} \cdot R_2 e^{(\Gamma g_{th} - \alpha_i)L} \cdot R_1 = 1$$

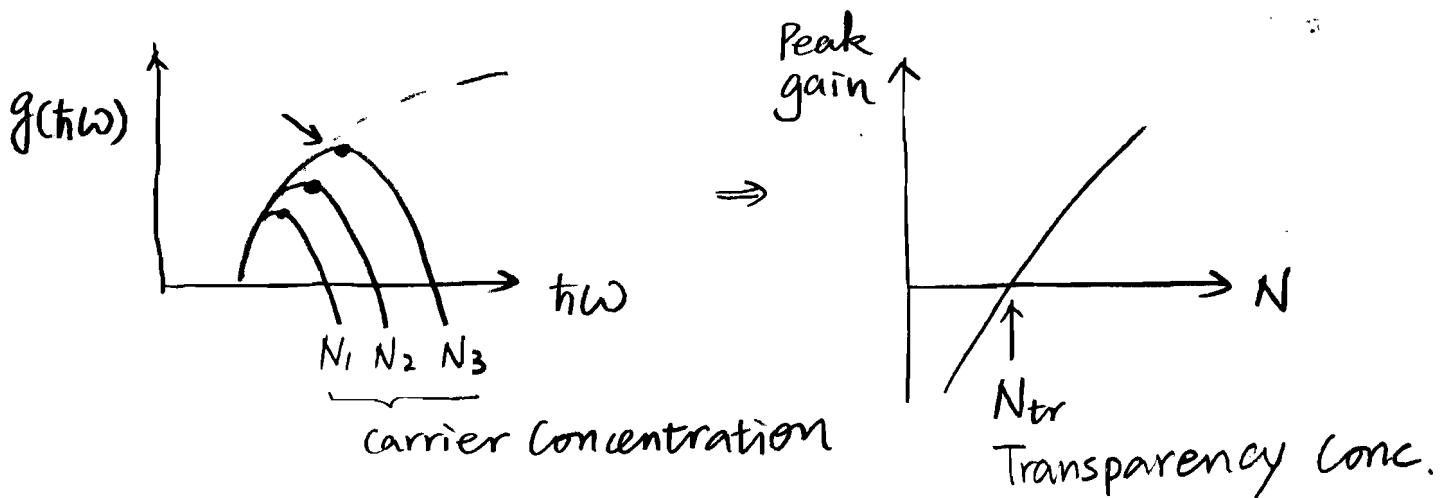
$$R_1 R_2 e^{2(\Gamma g_{th} - \alpha_i)L} = 1$$

$$\Gamma g_{th} - \alpha_i = \frac{1}{2L} \ln \frac{1}{R_1 R_2} \equiv \alpha_m \text{ : distributed mirror loss (cm}^{-1}\text{)}$$

$$g_{th} = \frac{1}{\Gamma} (\alpha_i + \alpha_m)$$

useful loss (output power)
real loss

Linear Gain Approximation.



$$g(N) = \alpha (N - N_{tr})$$

$$g_{th} = g(N_{th}) = \alpha (N_{th} - N_{tr}) = \frac{1}{\tau} (\alpha_i + \alpha_m)$$

$$N_{th} = N_{tr} + \frac{1}{\tau \alpha} (\alpha_i + \alpha_m)$$

Threshold current density J_{th}

$$J_{th} = \frac{N_{th}}{\tau_e} \cdot g \cdot d$$

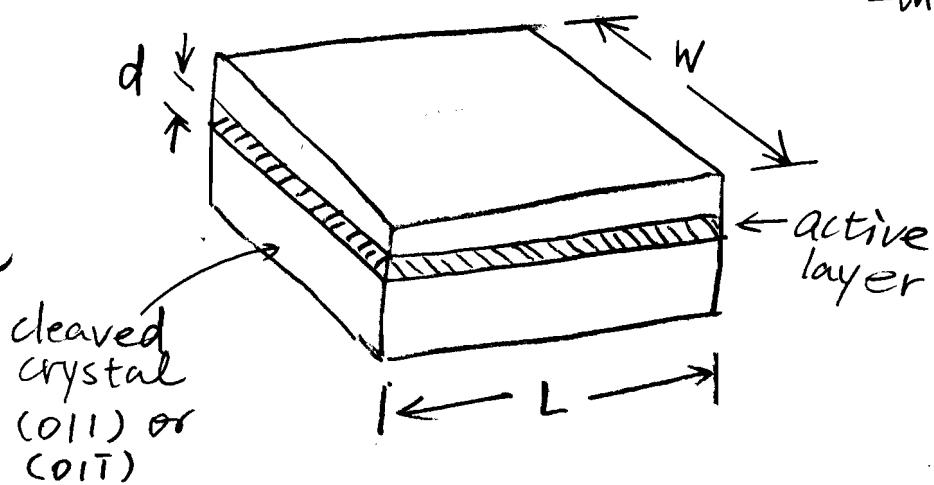
\downarrow active layer thickness

τ_e : carrier lifetime

$$I_{th} = J_{th} \cdot W \cdot L$$

$$= \frac{N_{th}}{\tau_e} \cdot g \cdot \underbrace{(d \cdot W \cdot L)}_{\text{active volume}}$$

active volume



T_e is usually a function of N also

$$\frac{N}{T_e(N)} = R(N) = A_{nr}N + BN^2 + CN^3$$

↑
Recombination
Rate

$A_{nr}N$: Nonradiative recombination

BN^2 : Spontaneous recomb.

CN^3 : Auger Recomb.

(collision of 2 electrons,
knocking 1 electron to VB
and the other to higher
energy CB)

